

Capacity Allocation Games for Network-Coded Multicast Streaming

Abstract:

In this paper, we formulate and study a capacity allocation game between a set of receivers (players) that are interested in receiving multicast data (video/multimedia) being streamed from a server through a multihop **network**. We consider fractional multicast streaming, where the multicast stream from the source (origin-server) to any particular receiver (end-user) can be split over multiple paths. The receivers are selfish and noncooperative, but must collaboratively purchase capacities of links in the **network**, as necessary for delivery of the multicast stream from the source to the individual receivers, assuming that the multicast stream is **network**-coded. For this multicast capacity allocation (**network**formation) game, we show that the Nash equilibrium is guaranteed to exist in general. For a 2-tier **network** model where the receivers must obtain the multicast data from the source through a set of relay nodes, we show that the price of stability is at most 2, and provide a polynomial-time algorithm that computes a Nash equilibrium whose social cost is within a factor of 2 of the socially optimum solution. For more general **network** models, we show that there exists a 2-approximate Nash equilibrium, whose cost is at most two times the social optimum. We also give a polynomial-time algorithm that computes a $(2+\epsilon)$ -approximate Nash equilibrium for any $\epsilon > 0$, whose cost is at most two times the social optimum. Simulation studies show that our algorithms generate efficient Nash equilibrium allocation solutions for a vast majority of randomly generated **network** topologies.